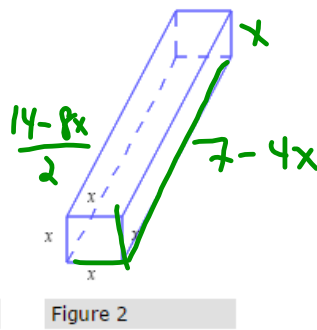
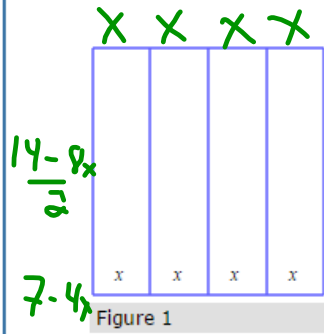


Day 8 - Question #4;

Using a graphing calculator to solve a word problem involving a local extremum of a polynomial function

On a rectangular piece of cardboard with perimeter 14 inches, three parallel and equally spaced creases are made (see Figure 1). The cardboard is then folded along the creases to make a rectangular box with open ends (see Figure 2). Letting x represent the distance (in inches) between the creases, use the ALEKS graphing calculator to find the value of x that maximizes the volume enclosed by this box. Then give the maximum volume. Round your responses to two decimal places.



$$V = x \cdot x \cdot (7 - 4x)$$

No Sense

No Sense

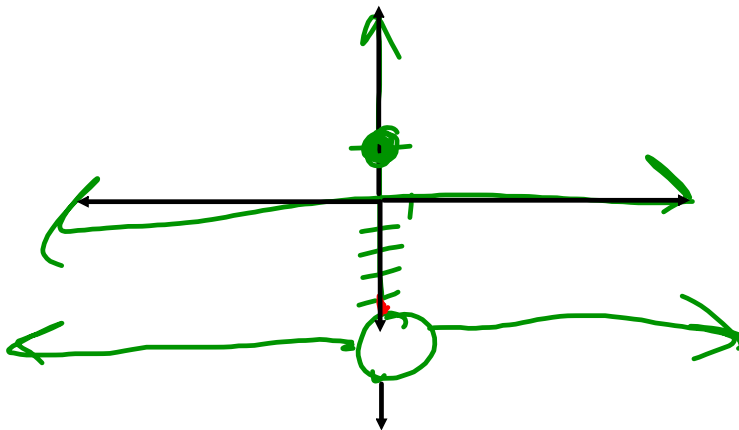
Value of x that maximizes volume:

Graphing a piecewise-defined function: Problem type 1

Suppose that the function h is defined, for all real numbers, as follows.

$$h(x) = \begin{cases} -5 & \text{if } x \neq 0 \\ 1 & \text{if } x = 0 \end{cases} \quad Y = -5$$

Graph the function h .



Determining the end behavior of the graph of a polynomial function

Choose the end behavior of the graph of each polynomial function.

<p>(a) $f(x) = 5x^5 - 3x^2 - 2x - 9$ <i>odd +</i></p>	<ul style="list-style-type: none"> <input checked="" type="radio"/> Falls to the left and rises to the right <input type="radio"/> Rises to the left and falls to the right <input type="radio"/> Rises to the left and rises to the right <input type="radio"/> Falls to the left and falls to the right
<p>(b) $f(x) = 3x^6 + 5x^4 - 8x^3 - x$ <i>even +</i></p>	<ul style="list-style-type: none"> <input type="radio"/> Falls to the left and rises to the right <input type="radio"/> Rises to the left and falls to the right <input checked="" type="radio"/> Rises to the left and rises to the right <input type="radio"/> Falls to the left and falls to the right
<p>(c) $f(x) = -x^2(3x - 5)^2$ <i>even -</i></p>	<ul style="list-style-type: none"> <input type="radio"/> Falls to the left and rises to the right <input type="radio"/> Rises to the left and falls to the right <input type="radio"/> Rises to the left and rises to the right <input checked="" type="radio"/> Falls to the left and falls to the right

Finding a polynomial of a given degree with given zeros: Complex zeros

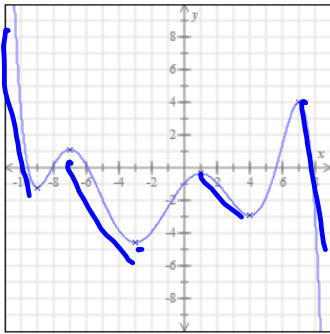
Find a polynomial $f(x)$ of degree 3 with real coefficients and the following zeros.

2, $2 - i$

$2 \quad x - 2 \quad (x - 2)(x - (2 - i))(x - (2 + i)) \quad i^2 = -1$
 $2 - i \quad x - (2 - i) \quad x^2 - 4x + 4 - i^2$
 $2 + i \quad x - (2 + i) \quad x^2 - 4x + 4 - (-1)$
 $(x^2 - 4x + 5)(x - 2) \Rightarrow$
 $x^3 - 6x^2 + 13x - 10$

$x^2 - 4x + 5$
 $\underline{x - 2}$
 $-2x^2 + 8x - 10$
 $\underline{x^3 - 4x^2 + 5x}$
 $x^3 - 6x^2 + 13x - 10$

Below is the graph of a polynomial function f with real coefficients. Use the graph to answer the following questions about f . All local extrema of f are shown in the graph.



~

(a) The function f is decreasing over which intervals? Choose all that apply.
 $(-\infty, -9)$ $(-7, -3)$ $(-9, -3)$ $(1, 4)$ $(4, 7)$ $(7, \infty)$

(b) The function f has local minima at which x -values? If there is more than one value, separate them with commas.
 -3 1 -9

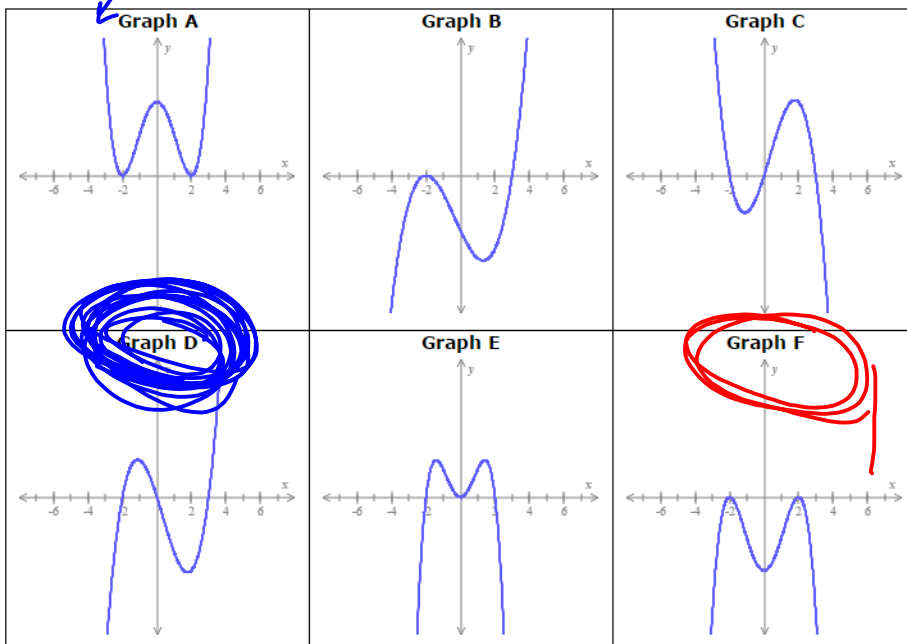
(c) What is the sign of the leading coefficient of f ?
 Select One *Disco left*

(d) Which of the following is a possibility for the degree of f ? Choose all that apply.
 4 5 6 7 8 9

Faces 7

Consider the following polynomial functions. $g(x)=0$ disco right
 $f(x) = -(x-2)^2(x+2)^2$ $D=4$ even \checkmark
 $g(x) = 2x^3 - 2x^2 - 12x$ $Lc = \text{sad}$

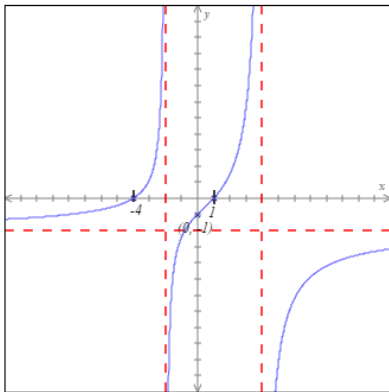
Choose the graph of each function from the choices below.



Writing the equation of a rational function given its graph

The figure below shows the graph of a rational function f with vertical asymptotes $x = -2$, $x = 4$, and horizontal asymptote $y = -2$. The graph also has x -intercepts of -4 and 1 , and it passes through the point $(0, -1)$.

The equation for $f(x)$ has one of the five forms shown below. Choose the appropriate form for $f(x)$, and then write the equation. You can assume that $f(x)$ is in simplest form.



- $f(x) = \frac{a}{x - b}$
- $f(x) = \frac{a(x - b)}{x - c}$
- $f(x) = \frac{a}{(x - b)(x - c)}$
- $f(x) = \frac{a(x - b)}{(x - c)(x - d)}$
- $f(x) = \frac{a(x - b)(x - c)}{(x - d)(x - e)}$

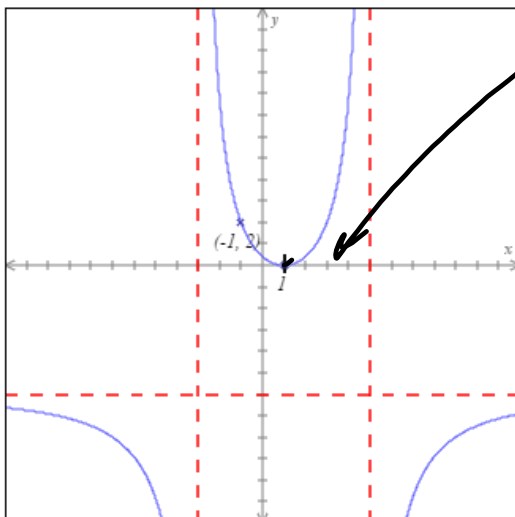
2 VA 2 Zeros

$$-2 \frac{(x+4)(x-1)}{(x-4)(x+2)}$$

Writing the equation of a rational function given

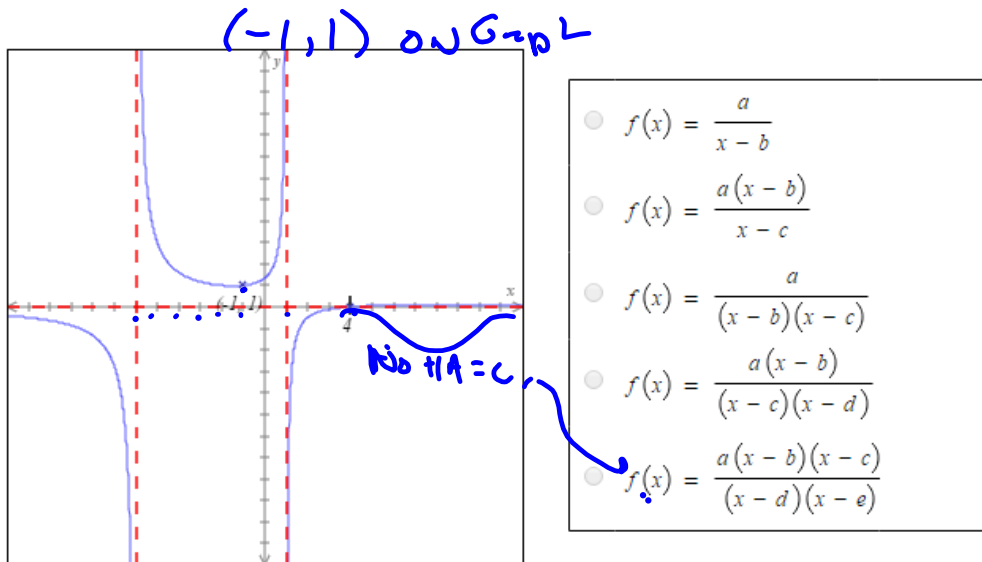
The figure below shows the graph of a rational function $y = -6$. The graph also has an x -intercept of 1 , and it

The equation for $f(x)$ has one of the five forms shown. You can assume that $f(x)$ is in simplest form.



Bounce

$$-6 \frac{(x-1)(x-1)}{(x+3)(x-5)}$$



$$y = \frac{2(x-4)}{(x-1)(x+6)}$$

$$y = \frac{a(x-4)}{(x-1)(x+b)}$$

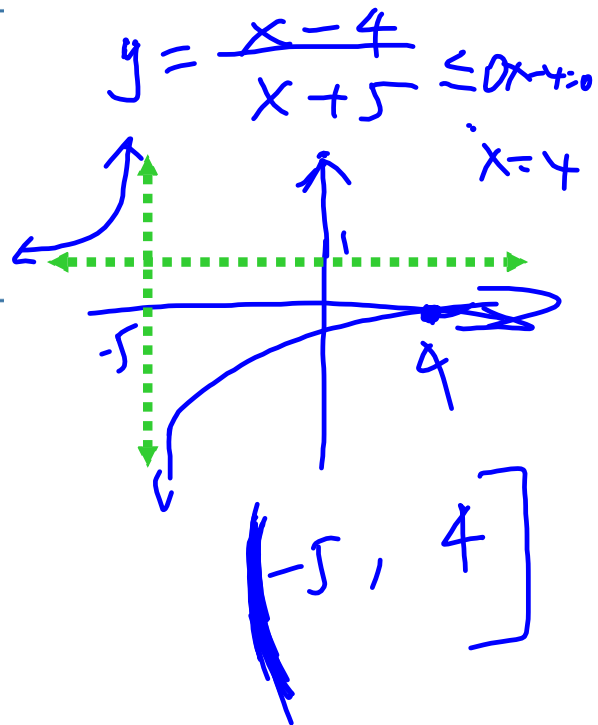
$$1 = \frac{a(-5)}{-2 \cdot 5} \quad a = 2$$

Solving a rational inequality: Problem type 1

Solve the following inequality.

$$\frac{x-4}{x+5} \leq 0$$

Write your answer using interval notation.

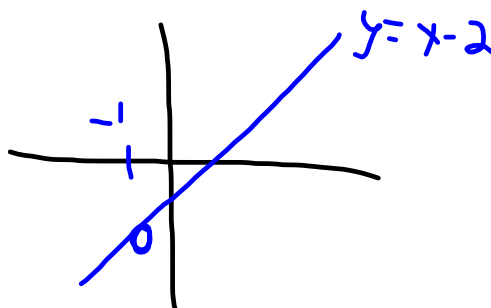


special

$ZN=ZD$?

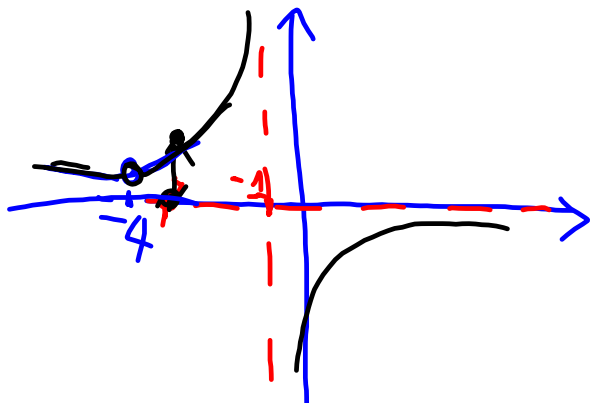
$$Y = \frac{\cancel{X+1}(X-2)}{\cancel{X+1}}$$

$$\frac{X+1}{X+1} = 1 \quad \text{No } X = -1$$



Graphing rational functions with holes

Graph the rational function $h(x) = \frac{-3x-12}{x^2+5x+4} = \frac{-3(\cancel{x+4})}{(\cancel{x+4})(x+1)} = \frac{-3}{x+1}$



Day 8 - Question #5;
Finding zeros of a polynomial function written in factored

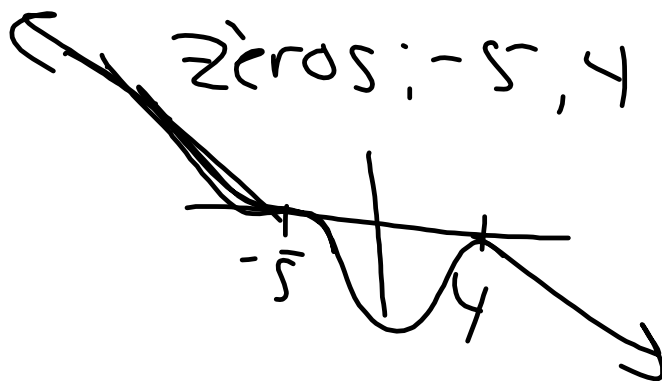
Find all real zeros of the function.

$$f(x) = -4(x+5)^3(x-4)^2$$

If there is more than one answer, separate them with commas.

END Behav.

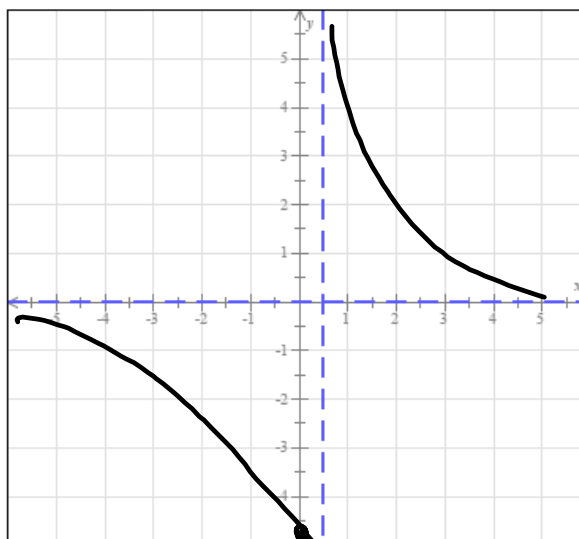
Degree 5 (odd)
 Lead -4 (neg)
 Desc Left



Day 8 - Question #9;
Finding the asymptotes of a rational function: Basic

Graph all vertical and horizontal asymptotes of the function.

$$f(x) = \frac{8}{(2x-1)^2} \quad f(0) = \frac{8}{-1}$$



Day 8 - Question #13;

Graphing a rational function: Quadratic over linear

Graph the rational function $f(x) = \frac{9x^2 + 12x + 1}{3x + 2}$.

$$\frac{3x+2 \overline{) 9x^2 + 12x + 1}}{-(9x^2 + 6x)} \\ \hline 6x + 1$$

To graph the function, draw the asymptotes (if any) and plot at least 1 graph.

Zeros: $0 = 9x^2 + 12x + 1$

$$x = \frac{-12 \pm \sqrt{144 - 4(9)}}{2(9)}$$

$$\frac{-12 \pm \sqrt{108}}{18}$$

